Problem Statement
using visual odometry
Aim is to find camera poses from set of images taken at discrete interval Problem formulation:

We have to find a Transormation matrix which relates two image frames ie. how the two frames are rotated and translated from each other.
let set of images be $\left\{I_{0}, I_{1}, I_{2} \ldots I_{k-1}, I_{k}\right\}$,camera poses be $\left\{C_{0}, C_{1}, C_{2} \ldots . . C_{k-1}, C_{k}\right\}$
$\begin{array}{ll}\text { and transformation matrix is given by } \\ T_{k, k-1} & =\left[\begin{array}{cc}R_{k, k-1} & t_{k, k-1} \\ 0 & 1\end{array}\right]\end{array}$ ${ }_{T_{k, k}}$ $\qquad$


1. Feature Detection (SIFT)

|  | $\uparrow$ |
| :---: | :---: |
| •Gaussian of Images in 4 Octaves (Scale Space ) $\quad$ Differen | -Local Maxima in neighbo at multi levels |
| Save Features | $\rightarrow * *$ |
| 2. Feature Matching |  |
| from two images, use nearest ne euclidean distance and distance is | having feature des . The point which is at $m$ $x$ is selected as corresp |

euclidean distance and distance is below a threshold is selected as correspondent of point in image 1 . let point correspondences be $x$,
3. RANSAC Algorithm (Resessenon between nlies)

Usually these matched points are
contaminated with "O. in Motion estimation.


RANSAC is a non deterministic method. No of Inliers in the outpu convergence increases. No of loops Required are given by


Rotation matrix $(R)$ and translation matrix ( $(t)$, we need to compute Essential matrix using the Inliers fillered by RANSAC. $R$ is $3 \times 3$ and $t$ is $3 \times 1$ matrices.

E- matrix can be computed using RANSAC, Normalized 8 point algorithms. Let SVD of $E=U D V^{T}$ Then there are four solution. Let w be skew symmetric matrix. Then four solutions are


Only one of them corresponds to true configuration, which is obtained by 3D triangulation of image correspondences (Inliers). Camera pose is given by $P=[\mathbb{R} \mid t]$. Epipolar constraint on E is given by

Triangulation
It is done by direct linear transform (DLT). Let P and $\mathrm{P}^{\prime}$ be mera matrices corresponding to two imaces and $p^{i T}$ and $p^{i T T}$ be rows of $P$. and $P^{\prime}$ matrices, where $i=1.23$. Then matrix $A$ is given by constraint $x=P X$. Here $X$ is homogenous world coordinate.

If SVD of A is UDV' then the 3D point is last column of $V$
Now, we choose correct conifiguration by imposing the constraint that 3D point must lie in front of both cameras.


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