#### Extracting semantic relations from unlabeled text

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Motivation Hardness

#### Motivation

# A 14yo bxr owned by a reputable breeder is being treated for IBD with pred.

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#### Motivation

# $[A 14yo bxr]_{ANIMAL} \text{ owned by [a reputable breeder]}_{HUMAN} \text{ is being} \\ \text{treated for [IBD]}_{DISEASE} \text{ with [pred]}_{DRUG} \text{ . [4]}$

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Motivation Hardness

#### Why the problem is hard ?

- Huge amount of data available on the web
- No manual tags or labels available
- Don't know exactly how many types of entities are present
- Presence of many irrelevant relations as noise

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#### **Problem** Definition

Given a corpus of data of extracted relational tuples of the form r(a, b), clusters the data using their relationship and also determine the best match for a given relation.

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#### **Related Work**

- TextRunner: identifies relational tuples in one pass of the web [3]
- Semantic Network Extractor: Jointly cluster relation and object string [5]

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• Infinite Relational Model [1]

Algorithm

### Algorithm Specification

- $P(z^1,...,z^n | R^1, R^2,...,R^m)$
- Generative Model  $P(R^1, R^2, ..., R^m, z^1, ..., z^n) = \prod_{i=1}^m P(R^i \mid z^1, ..., z^n) \prod_{i=1}^n P(z^i)$
- $P(z^{j})$  is calculated using Chinese Restaurant Process
- $R(i,j) \mid z, \eta(a,b)$  is calculated using Bernoulli Distribution
- Chinese Restaurant Process (CRP) also determines the number of clusters

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Algorithm

#### **Output Matrics**



Figure: Output Matrics

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6 Kok Stanley and Domingos Pedro. Extracting semantic networks from text via relational clustering. Proceedings of ECML, 2008.

#### Source code and Dataset

- The Source code for IRM is publicly available at http://www.psy.cmu.edu/~ckemp/code/irm.html
- The dataset is available at http://knight.cis.temple.edu/~yates/data/resolver\_data.tar.gz

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## Questions !!

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#### Formulae Specifications

• Generative Model  

$$P(R^{1}, R^{2}, ..., R^{m}, z^{1}, ..., z^{n}) = \prod_{i=1}^{m} P(R^{i} \mid z^{1}, ..., z^{n}) \prod_{j=1}^{n} P(z^{j})$$
• Generating Clusters (CRP)  

$$P(z_{i} = a \mid z_{1}, ..., z_{i-1}) = \frac{n_{a}}{2} \text{ if } n_{a} > 0$$

$$P(z_i = a \mid z_1, ..., z_{i-1}) = \frac{\gamma}{i-1+\gamma}$$
 if a is a new cluster

• Generating Relations from clusters  

$$z \mid \gamma \sim CRP(\gamma)$$
  
 $\eta(a, b) \mid \beta \sim Beta(\beta, \beta)$   
 $R(i, j) \mid z, \eta \sim Bernoulli(\eta(z_i, z_j))$ 

Inference

$$P(R \mid z) = \prod_{a,b \in N} \frac{Beta(m(a,b) + \beta), Beta(\bar{m}(a,b) + \beta)}{Beta(\beta,\beta)}$$

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#### Semantic Network Extractor

```
function SNE(S_r, S_x, S_y, R)
   inputs: S_r, set of relation symbols
               S_x, set of object symbols that appear as first arguments
               S_{\mu}, set of object symbols that appear as second arguments
               \vec{R}, ground r(x, y) atoms formed from the symbols in S_r, S_x, and S_y
   output: a semantic network, \{(\gamma_r, \gamma_x, \gamma_y) \in \Gamma_r \times \Gamma_x \times \Gamma_y : (\gamma_r, \gamma_x, \gamma_y) \text{ contains at }
                least one true ground atom}
for each i \in \{r, x, y\}
   \Gamma_i \leftarrow unitClusters(S_i)
mergeOccurred \leftarrow true
while mergeOccurred
   mergeOccurred \leftarrow false
   for each i \in \{r, x, y\}
      CandidateMerges \leftarrow \emptyset
      for each (\gamma, \gamma') \in \Gamma_i \times \Gamma_i
         \Delta P \leftarrow change in P(\{\Gamma_r, \Gamma_x, \Gamma_y\}|R) if \gamma, \gamma' are merged
         if \Delta P > 0, CandidateMerges \leftarrow CandidateMerges \cup \{(\gamma, \gamma')\}
      sort CandidateMerges in descending order of \Delta P
      MergedClusters \leftarrow \emptyset
      for each (\gamma, \gamma') \in CandidateMerges
         if \gamma \notin MergedClusters and \gamma' \notin MergedClusters
            \Gamma_i \leftarrow (\Gamma_i \setminus \{\gamma, \gamma'\}) \cup \{\gamma \cup \gamma'\}
             MergedClusters \leftarrow MergedClusters \cup \{\gamma\} \cup \{\gamma'\}
             mergedOccurred \leftarrow true
return \{(\gamma_r, \gamma_x, \gamma_y) \in \Gamma_r \times \Gamma_x \times \Gamma_y : (\gamma_r, \gamma_x, \gamma_y) \text{ contains at least one true ground atom}\}
```

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### Thank You

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